ECE 563 Spring 2012 First Exam

version 1

This is a take-home test. You must work, if found cheating you will be failed in the course and you will be turned in to the Dean of Students. To make it easy not to cheat, this exam is open book, open notes, and you may use passive online resources to solve it. By passive I mean you may look at existing online resources, you may not post queries or requests to information to any online resource.

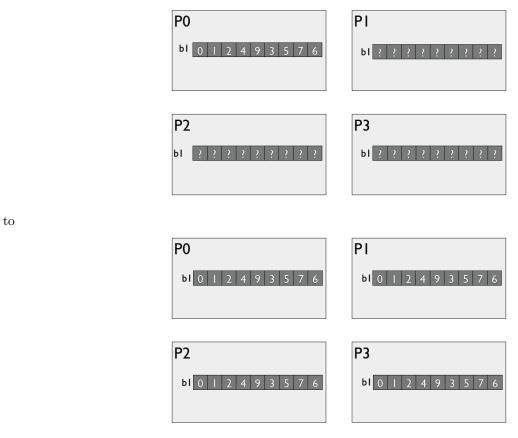
Please print and sign your name below. By doing so you signify that you have not received or given any prohibited help on this exam.

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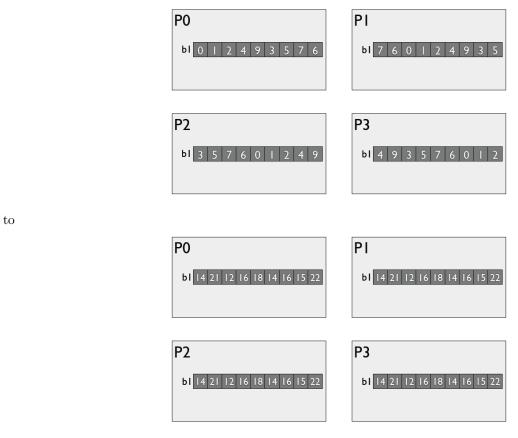
For all problems, unless stated otherwise you can assume that:

- 1. There is a variable called pid that contains the process id or rank in the communicator MPI_COMM_WORLD.
- 2. All initialization of the MPI runtime has been done.
- 3. Data being communicated is of type MPI_INT.
- 4. Using two or more communication operations where one will suffice will cost you at least part of the credit.
- 5. Each send, receive or step of a collective communication operation takes 100 time steps. Thus a reduce over 16 processors takes 400 time steps for communication (100log₂16).
- 6. Each arithmetic operation takes 1 time step.
- 7. Problems that require computation on your part should show your work.
- 8. Note that there are slightly more than 100 points on the test.

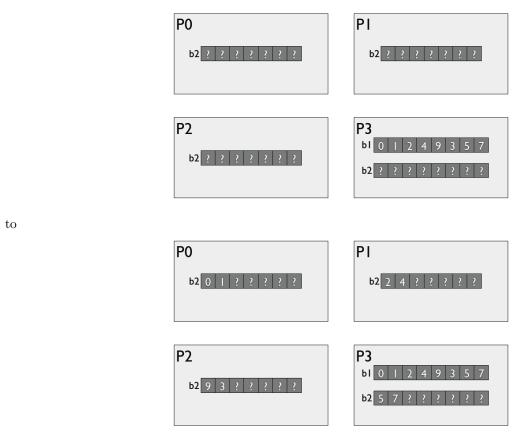
Q1: 6~pts One or more MPI communication operations takes values of data owned by each process from:



Q2: 6~pts One or more MPI communication operations takes values of data owned by each process from:

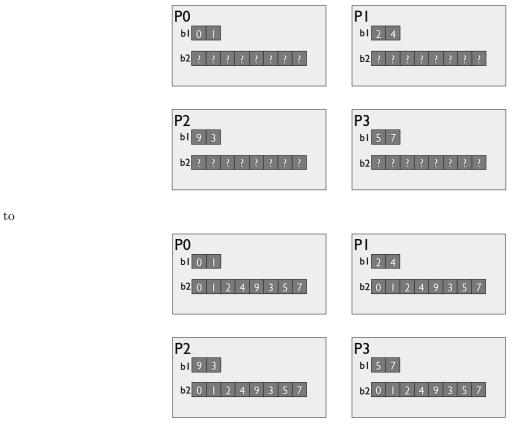


Q3: 6~pts One or more MPI communication operations takes values of data owned by each process from:



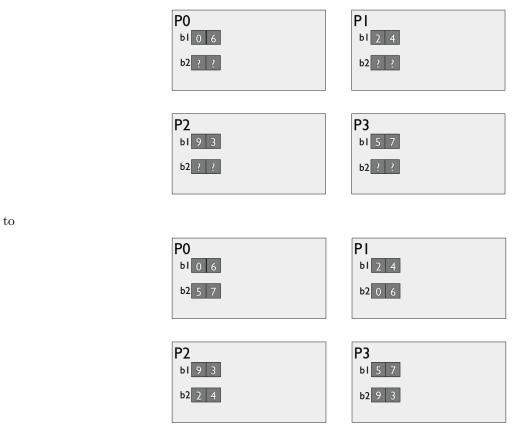
Q4: 6 pts

One or more MPI communication operations takes values of data owned by each process from:



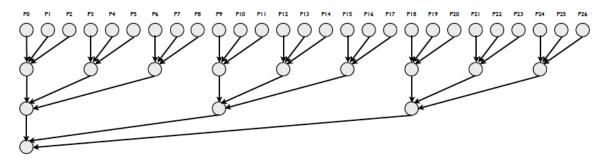
Q5: 6 pts

One or more MPI communication operations takes values of data owned by each process from:



Q6: 6 pts

Carp Computing has decided to take the lead in the large numerical server market, and has unleashed its Triad computer. The Triad computer is unique in that it supports reduce and broadcast degree-three trees instead of the traditional degree-two trees supported by its competitors. Triad also supports, in addition to a floating multiply-add operation (which performs the operation c + a * b is one unit of time) a floating add-add operation, which performs the the operation c + a + b in one unit of time. A reduction on this network is shown below.



Compare the time it takes to perform a sum reduction operation over 729 processors on the Triad computer to the time it takes to perform the same operation on a regular computer that performs a reduce like we have seen in class. Assume the count argument to the MPI_Reduce operation is 1.

Q7:

To show the effectiveness of their machine, Carp Computing forms the following two tables:

num procs	27	81	243
speedup	26.7	77	203.9
e			
num procs	27	81	243
speedup	26.8	78.5	216.3
e			

Q7a: 4pts Fill in the e row with the Karp-Flatt metric value.

Q7b: 4pts Each table represents experimentally measured values from a different machine for identical programs and compilers. Which machine will give better scaling for the problem?

Q7c: 3pts Which machine is the Triad machine (discussed in question Q6) and which is a normal machine?

Q8: 6 pts

You have an intern position at Oak Ridge National Lab running on their 224, 162 processor Jaguar machine. You write a program which is 99.999% parallel, i.e. the serial fraction f of the program is .00001. What is the speedup of your program, computed using Amdahl's Law? What is the efficiency?

Q9: 6 pts

You are not happy with your efficiency and decide to make life easier and let the problem size grow with the number of processors, providing more work to be done in parallel and (you hope) increasing the speedup and efficiency. You vaguely remember hearing your 563 professor talking about Gustafson and Barsis and Harry Potter during an interesting dream. Curious about how they might be connected, you look at your old lecture notes, and find the answer, shortly before falling asleep yet again. Waking up refreshed, you decide to let s, the sequential part of a parallel computation, be 0.00001. What is the speedup on the Jaguar machine at 244,162 processors?

Q10: 6 pts

Make the ${\tt i}$ loop parallel.

```
\begin{array}{l} \text{for } (\mathtt{i} = \mathtt{0}; \mathtt{i} < \mathtt{100} * \mathtt{n}; \mathtt{i} + +) \; \{ \\ \text{for } (\mathtt{j} = \mathtt{0}; \mathtt{j} < \mathtt{n}; \mathtt{j} + +) \; \{ \\ \text{a}[\mathtt{i}][\mathtt{j}] = \text{b}[\mathtt{i}][\mathtt{j}] + \text{c}[\mathtt{i}][\mathtt{j}]; \\ \} \\ \end{array} \}
```

Q11: 6 pts

Make the ${\tt j}$ loop parallel.

```
\begin{array}{l} \text{for } (i=0; i < 100*n; i++) \; \{ \\ \text{for } (j=0; j < n; j++) \; \{ \\ \text{a[i][j]} = \text{b[i][j]} + \text{c[i][j]}; \\ \} \\ \} \end{array}
```

Q12: 6 pts

Compilers can perform a loop transformation called *loop interchange*. Applying loop interchange to the i and j loops in the following loop nest:

```
\begin{array}{l} \text{for } (i=0; i < 100*n; i++) \; \{ \\ \text{for } (j=0; j < n; j++) \; \{ \\ \text{a[i][j]} = \text{b[i][j]} + \text{c[i][j]}; \\ \} \\ \} \end{array}
```

would yield a loop nest that looks like:

```
\begin{array}{l} \text{for } (j=0;j< n;j++) \; \{ \\ \text{for } (i=0;i< 100*n;i++) \; \{ \\ \text{a}[i][j] = \text{b}[i][j] + \text{c}[i][j]; \\ \} \\ \} \end{array}
```

Give reasons in terms of available parallelism and overhead as to why you might want to parallelize the outer i loop in the first loop nest, and the outer j loop in the second loop nest. You answer should short.

Q13:

Q13a: 4 pts Make the following loop parallel using OpenMP pragmas/directives.

```
for (i = 0; i < 100 * n; i ++) { s+=a[i] }
```

Q13b: 4 pts If the loop is changed to look like:

```
for (i = 0; i < 100 * n; i ++) { s+=a[i] b[i]=a; }
```

Can the technique used in the first loop to perform the parallelization still be used?

Q14: 6 pts

Make the ${\tt i}$ loop parallel using OpenMP. You cannot make any assumptions as to whether ${\tt foo}$ is associative or commutative.

```
\label{eq:for_constraints} \begin{array}{l} \text{for } (i=0; i < 100*n; i++) \; \{ \\ \text{for } (j=0; j < n; j++) \; \{ \\ \text{a}[i]+=b[i][j]; \\ \} \\ \text{c} = \text{foo}(c); \\ \} \end{array}
```

```
int a[50]; int b[50]; int c[50]; for (j = 0; j < 100; j + +) { a[i] = 1; } #pragma omp parallel for for (i = 0; i < 100; i + +) { if (i < 50) { b[i] = a[i]; c[i] = a[i]; } else a[i] = 0; }
```

Given the loop above, circle the answer that is most right about the values of a, b and c after the program executes:

- 1. Element b[i] is equal to element c[i] for all $0 \le i \le 49$.
- 2. Element b[i] is never equal to element c[i] for all $0 \le i \le 49$.
- 3. Element $b[\mathtt{i}]$ may, or may not be equal to element $\mathtt{c}[\mathtt{i}]$ for all $0 \leq \mathtt{i} \leq 49.$

Q16: 6 pts If the loop of Q15 is changed to:

```
int a[50]; int b[50]; int c[50];
for (j = 0; j < 100; j ++) {
    a[i] = 1;
}
#pragma omp parallel for
for (i = 0; i < 100; i ++) {
    if (i < 50) {
        #pragma omp critical
        {
            b[i] = a[i];
            c[i] = a[i];
        }
} else {
        #pragma omp critical
        {
            a[i] = 0;
        }
}</pre>
```

Given the loop above, circle the answer that is most right about the values of ${\tt a}$, ${\tt b}$ and ${\tt c}$ after the program executes:

- 1. Element b[i] is equal to element c[i] for all $0 \le i \le 49$.
- 2. Element b[i] is never equal to element c[i] for all $0 \le i \le 49$.
- 3. Element b[i] may, or may not be equal to element c[i] for all $0 \le i \le 49$.